## Advanced Digital Signal Processing Final Project - Python Code Description

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## 1 JPEG Compression

Main function usage:

```
1 data, code, dim, mode = JPEG_compress(img)
2 img = JPEG_extract(data, code, dim, mode)
```

- img: 3D Numpy array Numpy array of image file. Dimension should be (xxx, xxx, 3).
- data: Python list The compressed data of the image.
- code: Python dictionary The mapping rule for Huffman coding. Maps integers to strings of binary numbers.
- dim: Python list
   Dimension informations required for JPEG extraction.
- mode: integer YCbCr compression mode (decided in the function). Possible values are 444, 422, 420.

Figure 1, 2 are the original image and the image that is compressed and recovered. The compression rate cannot be controlled yet, so figure 2 looks blurry due to high compression rate.

Figure 3 shows the compressed data size. For the image in figure 1 with size  $599 \times 800$ , the data after compression (data only, not including other outputs) contains about half the number of numbers in the original image array. Figure 3 also shows the data size in bits and bytes. Thanks to Huffman coding, the number of bits is the same order of the number of data numbers.

Because I do not know how to write a standard JPEG file, the compressed data and informations are saved in a json file. All bits are represented by strings of 0, 1, so the json file size is larger than the original image file. For the case of figure 1, the sizes of the original image (PNG file) and the json file are 443.3 kB and 3.6 MB respectively.

The two main functions JPEG\_compress, JPEG\_extract are written in the file JPEG.py. The result in figure 3 is generated by jpeg\_data.py.





Figure 1: original image

Figure 2: compressed and recovered image

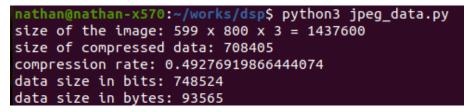


Figure 3: data after JPEG compression

## 2 Prime Factor Algorithm

Main function usage:

## 1 X = prime\_factor\_dft(x)

- x: 1D Numpy array The target signal for DFT.
- X: 1D Numpy array The result of the DFT on x.

Figure 4 is the result of my program. For a signal with length 3500, it takes about 0.08 seconds to finish the DFT. Computing the DFT directly take about 0.41 seconds, which is roughly 5 times the time using prime factor algorithm.

The average of the absolute error between two methods has an order of  $10^{-9}$ , so I think it is presice enough in most cases.

```
nathan@nathan-x570:~/works/dsp$ python3 prime_factor_dft.py
time required for direct DFT: 0.4139137268066406 (s)
time required for prime factor algorithm: 0.07952070236206055 (s)
average error: 1.2080047605003585e-09
```

Figure 4: result of the DFT on a signal with length 3500.